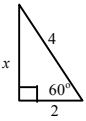
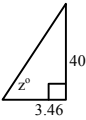
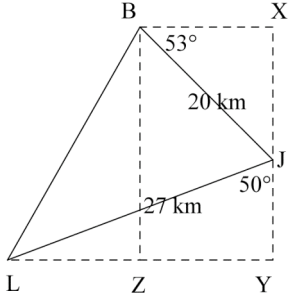
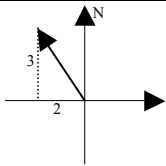


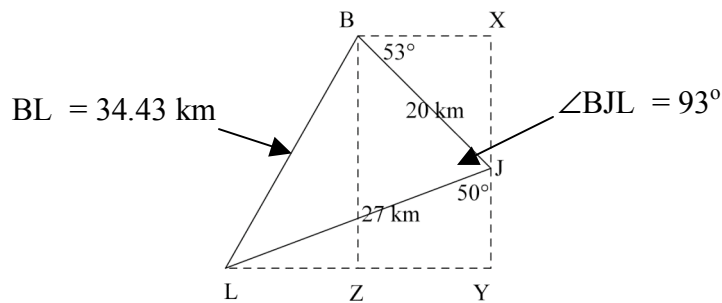
Assessment Schedule – 2008**Mathematics: Solve right-angled triangle problems (90152)****Evidence Statement**

	Achievement Criteria	No	Evidence	Code	Judgement	Sufficiency
ACHIEVEMENT	Solve right-angled triangle problems.	1	Distance = 28.3 m	A1	Accept answer where the candidates have their calculator in the wrong mode where the answer is reasonable.	Achievement: THREE of A Including at least one A1 and at least one A2. Replacement evidence may be found for: A1 (Pythagoras) in Q7, 8 A2 (Trigonometry) In Q5, 6, 7, 8
		2	Angle = $\sin^{-1} \frac{5}{100} = 2.8660^\circ$	A2	do not allow $\tan^{-1} \frac{5}{100} = 2.862$ Accept, because answers look OK: 3.18 (grad mode used) or 0.05 (radian mode used) do not allow $\sin^{-1} 0.05 = 0.05$	
		3	diagonal of frame = 2.690 m	A1		
		4	$\tan 35^\circ = \frac{EF}{3.25}$ Length EF = 2.2757 m	A2	Accept, because answers look OK: 1.99 (grad mode used) 1.5 (radian mode used) Do not accept $35 \times \tan 3.25 = 1.99$ unless the transposed values are seen on the diagram. Accept any rounding.	

ACHIEVEMENT WITH MERIT	Solve problems in practical situations involving right-angled triangles.	5	$\sin 29^\circ = \frac{35}{x}$ or $\cos 61^\circ = \frac{35}{x}$ $x = \frac{35}{\sin 29}$ or $x = \frac{35}{\cos 61}$ Distance to buoy = 72.2 m	[A2] M	Accept any rounding. Horizontal distance 63m is A2. Accept, because answer looks OK: 79.6 (grad mode used)	Merit: Achievement PLUS TWO M OR THREE M
			7 Using a $\frac{1}{2} = \Delta$ from the base:  $x = \sqrt{12} = 3.46$ or $x = 2 \tan 60^\circ = 3.46$ Using the vertical Δ :  $x = \tan^{-1}(\frac{40}{3.46})$ $= 85.05$ $\approx 85^\circ$ 8 (a)  In triangle BXJ $XJ = 20 \sin 53^\circ = 15.973$ $BX = 20 \cos 53^\circ = 12.036$ In triangle LJY $JY = 27 \sin 40^\circ = 17.355$ $LY = 27 \cos 40^\circ = 20.683$ $XY = XJ + JY = 33.328$ $LZ = LY - BX = 8.647$ $BL = \sqrt{8.647^2 + 33.328^2}$ $= 34.43 \text{ km}$			

ACHIEVEMENT WITH EXCELLENCE	Solve problems in word or 3D situations.	6	 $\tan^{-1}(3/2) = 56.3^\circ$ $\text{or } \tan^{-1}(2/3) = 33.7^\circ$ $\rightarrow \text{bearing} = 326^\circ$	[A2, M] E	In general, for Excellence, mathematical statements, sensible and correct rounding, and units are expected. Accept, because answer looks OK: 63 (grad mode used). M is awarded for either acute \angle Only the correct bearing is E, no consistency.	Excellence: Merit Plus one of code E
		8 (b)	$\text{Angle LBZ} = \tan^{-1} \frac{LZ}{BZ}$ $= 14.5^\circ$ $\text{Bearing is } 14.5^\circ + 180^\circ = 194.5^\circ$	[M] E	Accept, because answer looks OK: 333 (grad mode used)	

Question 8 (solution done using sine / cosine rule)



To find BL, use cosine rule in $\triangle BLJ$ $BL^2 = 20^2 + 27^2 - 2 \times 20 \times 27 \times \cos 93^\circ = 1\,185.522\dots$
 $BL = 34.43 \text{ km}$

To find $\angle LBJ$, use either cosine rule $\angle LBJ = \cos^{-1} \left(\frac{20^2 + LB^2 - 27^2}{2 \times 20 \times LB} \right)$ or sine rule $\angle LBJ = \sin^{-1} \left(\frac{27 \times \sin 93^\circ}{LB} \right)$
 $= 51.5^\circ$ $= 51.5^\circ$

Required bearing is $143^\circ + \angle LBJ = 194.5^\circ$

Judgement Statement

Achievement	Achievement with Merit	Achievement with Excellence
Solve right-angled triangle problems. $3 \times A$ (including at least one of A1 and one of A2)	Solve problems in practical situations involving right-angled triangles. Achievement plus $2 \times M$ or $3 \times M$	Solve problems in word or 3D situations. Achievement with Merit plus $1 \times E$

The following Mathematics-specific marking conventions may also have been used when marking this paper:

- Errors are circled.
- Omissions are indicated by a caret (^).
- **NS** may have been used when there was not sufficient evidence to award a grade.
- **CON** may have been used to indicate ‘consistency’ where an answer is obtained using a prior, but incorrect answer and **NC** if the answer is not consistent with wrong working.
- **CAO** is used when the ‘correct answer only’ is given and the assessment schedule indicates that more evidence was required.
- **#** may have been used when a correct answer is obtained but then further (unnecessary) working results in an incorrect final answer being offered.
- **RAWW** indicates right answer, wrong working.
- **R** for ‘rounding error’ and **PR** for ‘premature rounding’ resulting in a significant round-off error in the answer (if the question required evidence for rounding).
- **U** for incorrect or omitted units (if the question required evidence for units).
- **MEI** may have been used to indicate where a minor error has been made and ignored.